

1 Test Assignment

$$A_{i,j} = \begin{cases} 1, & \text{if pilot } P_i \text{ can attend training date } T_j. \\ 0, & \text{otherwise.} \end{cases}$$
$$D_{l,j} = \begin{cases} 1, & \text{if commissioner } C_l \text{ can attend training date } T_j. \\ 0, & \text{otherwise.} \end{cases}$$

```
>>> n = 12;
>>> m = 4;
>>> k = 5;
>>> A = [
1      0      0      0      1;
0      0      1      0      1;
0      0      0      1      1;
0      0      0      1      1;
1      1      0      1      1;
0      1      0      0      0;
1      1      1      1      1;
0      0      0      0      1;
1      0      0      1      0;
0      1      0      0      1;
0      0      1      1      1];
>>> D = [
0      1      1      1;
0      0      1      1;
1      0      0      1;
0      1      1      1;
1      1      0      1;
1      1      0      1];
```

2 Solution requirements (max. 8 points)

- Represent the problem using minimum cost flow problem formulation, so that **the number of vertices in the network is minimum**, i.e. there will be no joint source node. Display this number of vertices, e.g. as the size of vector b . [2p]
- From general values (m, n, k, A, D) implement a matlab program that generates (C, L, U, b) parameters for `mincostflow`. Use this procedure to solve the given instance. [3p]
- Display (using a matlab code) how many pilots come to each training date. [1p]
- Display (using a matlab code) which training date pilot P_7 will attend. Furthermore, display which pilots will go to training date T_4 . [1p]
- Display (using a matlab code) which training dates commissioner C_2 will attend. Furthermore, display which commissioners will go to training date T_1 . [1p]